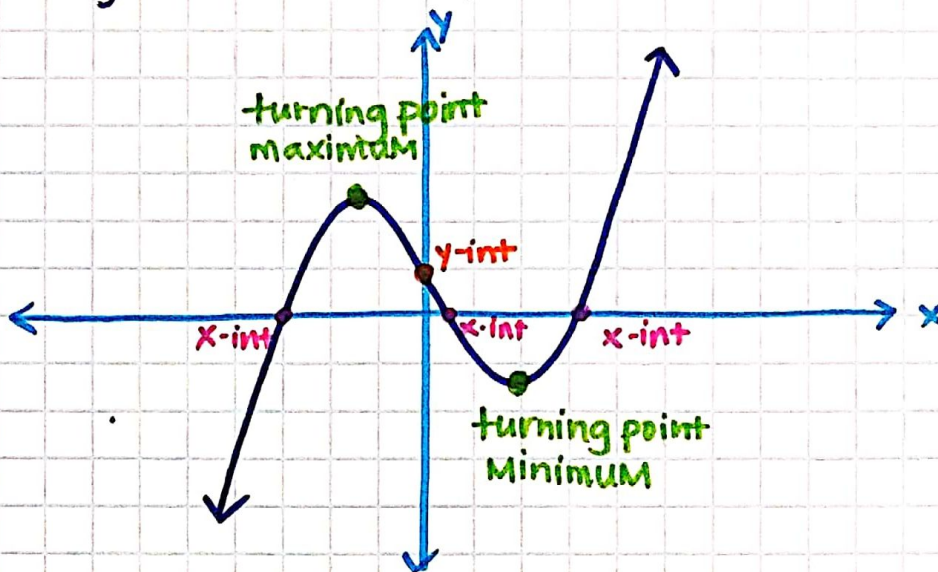


## 6.4 The Graphs of Polynomial Functions

In general an  $n^{\text{th}}$  degree polynomial has:

- up to  $n$  x-intercepts.
- up to  $n-1$  turning points (maxima & minima)
- a continuous <sup>smooth</sup> graph
- a y-intercept equal to the constant.



\* the rational/irrational roots will correspond to the x-intercepts on the graph.

		LEADING COEFFICIENT	
		+	-
DEGREE	ODD	<p>↓      ↑</p> <p>As <math>x \rightarrow -\infty, y \rightarrow -\infty</math> As <math>x \rightarrow \infty, y \rightarrow \infty</math></p>	<p>↑      ↓</p> <p>As <math>x \rightarrow -\infty, y \rightarrow \infty</math> As <math>x \rightarrow \infty, y \rightarrow -\infty</math></p>
	EVEN	<p>↑      ↑</p> <p>As <math>x \rightarrow -\infty, y \rightarrow \infty</math> As <math>x \rightarrow \infty, y \rightarrow \infty</math></p>	<p>↓      ↓</p> <p>As <math>x \rightarrow -\infty, y \rightarrow -\infty</math> As <math>x \rightarrow \infty, y \rightarrow -\infty</math></p>

## Finding zeros/x-ints.

① use PlySmlt2 app

only use the rational  
& irrational solutions

or ② use graphing  
intersections

$Y_1 = \text{polynomial}$

$Y_2 = 0$

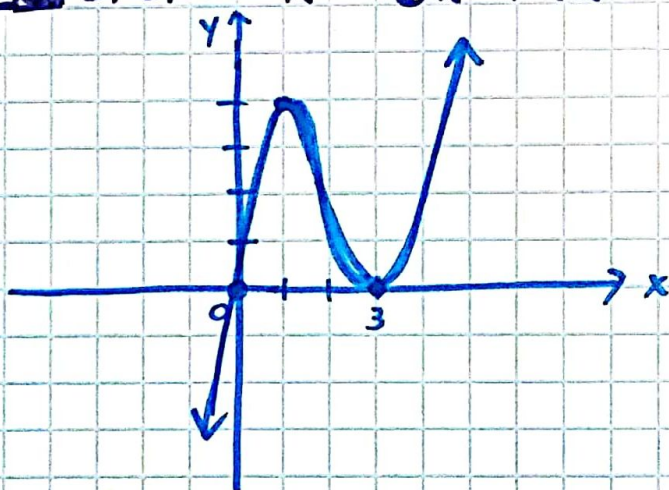
GRAPH

2ND TRACE 5:intersect  
ENTER (3 times)

## Finding maximums & minimums

Follow directions on reference sheet.

EX Sketch  $x^3 - 6x^2 + 9x$ .



- List the zeros. 3, 0
- State the turning points. ↓ minimum (3,0)
- State the end behavior.

As  $x \rightarrow -\infty, y \rightarrow -\infty$   
As  $x \rightarrow \infty, y \rightarrow \infty$

max (1,4)